

Program Output:

- (1) Values comments in brackets are optional
- (2) Use the **same names** for variables described above - helps with discussion
- (3) Keeping score? Two points for each output.
- (4) **Input Data: 33009,9002,11** (initial values - RegP, RegM, RegS)
- (5) **Final Test Data:** End of November

Output #1: 241 (value of p, transferred from RegP)

Output #2: 186 (value of v, transferred from RegM)

Output #3: 10 (value of a, transferred from RegM)

Output #4: 220 (value of t, transferred RegM)

Output # 5 to #8 – values of p, v, a, and t with corrections

Output #5: 240 (p)

Output #6: 35 (v)

Output #7: 10 (a)

Output #8: 9 (t)

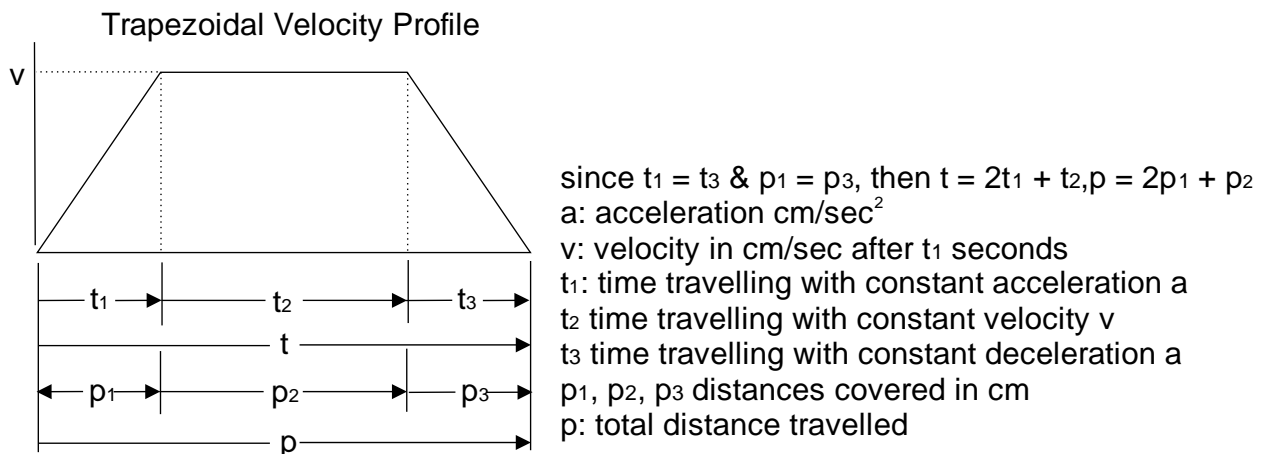
Output #9: 6.63, 66.33 (time, velocity) see note (1)

Output #10: 1.32, 7.68 (t1, t2) or “no solution” – see note (2)

Notes:

(1) In Output # 9 the tool moves, with **no profile**, from rest to position p with acceleration a . 6.6 (sec) is the time taken for the tool to reach position p and 66.33 (cm/sec) is the velocity at that point in time.

(2)



In Output #10 the **tool is to move** from rest to final position, p , using the trapezoidal “velocity profile” defined by the parameters p, v, a and t . Movement may not be possible if p, v, a and t define a **non existing tool path**.

The starting point is to **solve for t_1** (use the starting equations shown below). The result will be a **quadratic equation in t_1** of the form: $ax^2 + bx + c = 0$ whose

solution is $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$

Substituting p, v, a and t will yields either **two** values for t_1 or **no values** for t_1 (roots are complex- not real numbers).

In Output #10,

- (a) if t_1, t_2 do not exist output “**no solution**”
- (b) if t_1, t_2 each have two values (indicating **two mathematical tool paths**), one set of t_1, t_2 will be inadmissible. Output the **admissible values of t_1, t_2** .

Bonus! Output #11: **phrase or statement** (necessary condition for the inadmissible set of t_1, t_2 in part (b) to be a tool path)

Solution of profile:

In the profile **a**, **v**, **p** and **t** are **positive** known (given) quantities leaving t_1 and t_2 as unknown. Solving for first for t_1 :

$$p_1 = \frac{1}{2}at_1^2 \text{ ----(1), where } t_1 > 0$$

$$p_2 = vt_2 \text{ -----(2), where } t_2 > 0, p = 2p_1 + p_2, t = 2t_1 + t_2$$

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